On the Legendre-Hardy-Sobolev inequality

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The very classical Hardy inequality has two types of high dimensional extension, an algebraic Hardy inequality and a geometric Hardy inequality. All most previous works on the Hardy inequalities have been obtained for functions vanishing on the boundary. I would like to introduce some recent studies on Neumann versions of the Hardy inequalities on a bounded domain [2, 4, 1] and their nonlinear versions [3].

References

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