

**title:** Set-theoretic problems in constructing localizations

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**abstract:** The talk will outline several results concerning set-theoretic problems related to the existence of localizations in various categories. Typical problem, the talk will be concerned with, is known as the orthogonal subcategory problem: given a category  $\mathcal{C}$  and a full subcategory  $\mathcal{D} \subseteq \mathcal{C}$  does there exist a localization functor  $L : \mathcal{C} \rightarrow \mathcal{C}$  whose image is  $\mathcal{D}$ . Here, by a localization we understand a general functor  $L$  with coaugmentation  $\eta : \text{Id} \rightarrow L$  which, for every object  $X$ , yields the commutative diagram

$$\begin{array}{ccc} X & \xrightarrow{\eta_X} & LX \\ \eta_X \downarrow & & \downarrow \eta_{LX} \\ LX & \xrightarrow{L\eta_X} & LLX \end{array}$$

where  $\eta_{LX} = L\eta_X$  are isomorphisms in  $\mathcal{C}$ .

The talk will state the results and provide some comments without going into details of the constructions. It will be addressed to non-set-theorists.